# Instructional workshop on OpenFOAM programming LECTURE # 8

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#### Outline

Compressible Euler Solver

Parallelization in OpenFOAM

**OpenFOAM** Parallelization API

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A tour of the example code

Parallel Euler Solver

#### The Euler's Equation

$$\frac{\partial}{\partial t} \int_{V} \mathbf{Q} dV + \int_{S} \mathbf{F} \cdot \mathbf{n} \ dS = 0 \tag{1}$$

The vectors  $\mathbf{Q}$  and  $\mathbf{F} \cdot \mathbf{n}$  are defined as,

$$\mathbf{Q} = \begin{bmatrix} \rho \\ \rho v_i \\ \rho e \end{bmatrix} \qquad \qquad \mathbf{F} \cdot \mathbf{n} = \begin{bmatrix} \rho v_n \\ \rho v_i v_n + p n_i \\ (\rho e + p) v_n \end{bmatrix} \qquad (2)$$

where,  $\rho$ , p and v are the fluid density, pressure and velocity respectively. The internal energy e per unit mass of the fluid is defines as,

$$\rho e = \frac{p}{\gamma - 1} + \frac{1}{2}\rho v_i v_i \tag{3}$$

The fluid pressure p, density  $\rho$  and temperature T are related by the prefect gas relation,

$$\boldsymbol{p} = \rho R T \tag{4}$$

### Spatial and Temporal discretization



For 3d meshes we get,

$$Q_i^{n+1} = Q_i^n + \frac{\Delta t}{V_i} \sum_j \left( F_j^n S_j \right)$$
(5)

•  $Q_i$  is the cell average value  $Q_i = \frac{1}{V_i} \int\limits_{V_i} Q dV$ 

F<sup>n</sup><sub>j</sub> is approximation to average flux along face j

$$F_j^n = \mathcal{F}\left(Q_{L_j}^n, Q_{R_j}^n\right) \tag{6}$$

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• 
$$Q_{L_j/R_j} = \text{left/right states of face } j$$

## Flux function ${\mathcal F}$

- Run-time selectable using function pointers
- Selected using dictionary keyword *fluxScheme* in system/fvSchemes
- Implemented Roe approximate flux function

$$\hat{\mathcal{F}}_{roe}(Q_L, Q_R, S) = \frac{1}{2} \left[ \hat{F}_n(Q_L, S) + \hat{F}_n(Q_R, S) - \|\tilde{A}(Q_L, Q_R, S)\|(Q_R - Q_L) \right]$$
(7)

where,  $\tilde{A}$  is the Roe average matrix

Also has implementation of Van Leer flux splitting

## Local time stepping

 $\frac{\Delta t}{v_{cell}}$  term is replaced by the CFL number  $(N_c)$  and local maximum eigenvalue

$$\frac{\Delta t}{V_i} = \frac{N_c}{\sum_{j=1}^{N_f} \left(|U_n| + a\right)_j S_j}$$
(8)

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where,  $N_f$  is the total number of faces in a cell and  $S_j$  is the face area of the  $j^{th}$  face.

#### Boundary Conditions - Slip wall

- Physically imposes a zero mass flux crossing the rigid wall
- Written mathematically as  $u_n = 0$
- Flux formulation for the wall boundary face becomes

$$F_{n}^{wall} = \begin{bmatrix} \rho u_{n} \\ \rho u u_{n} + \rho n_{x} \\ \rho v u_{n} + \rho n_{y} \\ \rho w u_{n} + \rho n_{z} \\ (e+p)u_{n} \end{bmatrix} = \begin{bmatrix} 0 \\ \rho n_{x} \\ \rho n_{y} \\ \rho n_{y} \\ \rho n_{z} \\ 0 \end{bmatrix}$$
(9)

- Pressure at wall face computed by extrapolation from interior
- Use face-owner cell centroid value extrapolation

## Boundary Conditions - Supersonic Inflow/Outflow

- No influence of the downwind disturbances to upwind
- Safe to fix inlet face values to inlet conditions
- For outflow use extrapolated interior solution (owner cell value) to boundary face

### Implementation details - Flux divergence

```
/// Internal faces get face flux from L and R cells
forAll( mesh.owner() , iface ) {
/// Get the left and right cell index
const label& leftCell = mesh.owner()[ifacel;
const label& rightCell = mesh.neighbour()[iface];
/// Approximate Riemann solver at interface
scalar lambda = (*fluxSolver)
 &rho[leftCell], &U[leftCell], &p[leftCell], // L
 &rho[rightCell], &U[rightCell], &p[rightCell], // R
 &massFlux[iface], &momFlux[iface], &energyFlux[iface],
 &nf[iface] // Unit normal vector
);
/// Multiply with face area to get face flux
massFlux[iface] *= mesh.magSf()[iface];
momFlux[iface] *= mesh.magSf()[iface];
energyFlux[iface] *= mesh.magSf()[iface];
localDt[ leftCell ] += lambda * mesh.magSf()[iface];
localDt[ rightCell ] += lambda * mesh.magSf()[iface];
```

## Implement Boundary Conditions

Loop over all boundary patches

forAll ( mesh.boundaryMesh() , ipatch ) {



```
word BCTypePhysical =
  mesh.boundaryMesh().physicalTypes()[ipatch];
```

Access the geometric type of the patch

word BCType = mesh.boundaryMesh().types()[ipatch];

#### Access the patch names

word BCName = mesh.boundaryMesh().names()[ipatch];

## Implement Boundary Conditions

#### Access the owner-cell ids of patch

const UList<label> &bfaceCells =
 mesh.boundaryMesh()[ipatch].faceCells();

Note that alternatively you can use patchInternalField to access owner-cell values of patch faces

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Try it yourself !

### Implement Boundary Conditions - Slip wall

```
if ( BCTypePhysical == "slip" ||
   BCTypePhysical == "symmetry" ) {
 forAll( bfaceCells , iface ) {
 /// Extrapolate wall pressure
 scalar p_e = p[ bfaceCells[iface] ];
 vector normal = nf.boundaryField()[ipatch][iface];
 scalar face_area =
     mesh.magSf().boundaryField()[ipatch][iface];
 scalar lambda = std::fabs
   U[ bfaceCells[iface] ] & normal ) +
   std::sqrt ( gama * p_e / rho[ bfaceCells[iface] ]
 );
 momResidue[ bfaceCells[iface] ] += p_e * normal *
     face area;
 localDt[ bfaceCells[iface] ] += lambda * face area;
```

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## Implement Boundary Conditions - Extrapolated outflow

```
if( BCTypePhysical == "extrapolatedOutflow" ) {
forAll( bfaceCells , iface ) {
 label myCell = bfaceCells[iface];
 vector normal = nf.boundaryField()[ipatch][iface];
 scalar face_area
  mesh.magSf().boundaryField()[ipatch][iface]
 );
 /// Use adjacent cell center value of face
 // to get flux (zeroth order)
 scalar lambda = normalFlux( ... ); // Normal face flux
 massResidue[ myCell ] += bflux[0] * face_area;
 momResidue[ myCell ][0] += bflux[1] * face_area;
 momResidue[ myCell ][1] += bflux[2] * face_area;
 momResidue[ myCell ][2] += bflux[3] * face_area;
 energyResidue[ myCell ] += bflux[4] * face_area;
 localDt[ myCell ] += lambda * face_area;
```

## Implement Boundary Conditions - Supersonic inlet

```
if( BCTypePhysical == "supersonicInlet" ) {
forAll( bfaceCells , iface ) {
 label myCell = bfaceCells[iface];
 vector normal = nf.boundaryField()[ipatch][iface];
 scalar face_area
   mesh.magSf().boundaryField()[ipatch][iface];
 );
 /// Use free-stream values to calculate face flux
 scalar lambda = normalFlux( &rho_inf , &u_inf , &p_inf
      , &normal , bflux );
 massResidue[ myCell ] += bflux[0] * face_area;
 momResidue[ myCell ][0] += bflux[1] * face_area;
 momResidue[ myCell ][1] += bflux[2] * face_area;
 momResidue[ myCell ][2] += bflux[3] * face_area;
 energyResidue[ myCell ] += bflux[4] * face_area;
 localDt[ myCell ] += lambda * face_area;
```

## Hands on - Supersonic flow over wedge

- Compile the solver
- Setup inputs for the wedge case

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- Run the example wedge case
- Plot the results

### The unstructured mesh



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### The dual graph



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## After graph partitioning



## Structured Grid Decomposition

Structured Grid Decomposition with One Ghost Cell Padding (CC)



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### Graph based Unstructured Grid Decomposition

Node Based Unstructured Grid Decomposition



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## Parallelization in OpenFOAM (from Jasak's slides)

- Parallel communications are wrapped in *Pstream* library to isolate communication details from library use
- Discretization uses the domain decomposition with zero halo layer approach
- Parallel updates are a special case of coupled discretization and linear algebra functionality
  - processorFvPatch class for coupled discretization updates
  - processorLduInterface and field for linear algebra updates

# Parallelization in OpenFOAM (from Jasak's slides)



Subdomain 3

Subdomain 4

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Some Useful API in Pstream library

```
Pstream::parRun()
```

Check if -parallel is defined in command line

Pstream::myProcNo() and Pstream::masterNo()

Processor (and Master) Rank in MPI Communicator

### Parallel Streams - C++ i/ostreams

#### Perr

Error stream

Perr << "Some error occurred in parallel job \n";</pre>

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## Parallel Streams - C++ i/ostreams

#### OPstream/IPstream

Used to send/receive data to adjacent processor

```
vector data(0, 1, 2);
OPstream toMaster(Pstream::scheduled, Pstream::masterNo
   ());
toMaster << data;
...
IPstream fromMaster(Pstream::scheduled, Pstream::
   masterNo());
fromMaster >> data;
/* Types of schedules **
** Pstream::scheduled **
** Pstream::blocking **
** Pstream::nonBlocking */
```

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#### Hands on - First parallel code

Check if parallel environment is defined using Pstream

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If it is indeed parallel run print the processor rank

## Creating the decomposition in OF

#### decomposePar

- ► Tool decomposes mesh into **N** partitions.
- Create the file "decomposeParDict" in the case "system" folder.

FoamFile	
{	
version	2.0;
format	ascii;
class	dictionary;
location	"system";
object	<pre>decomposeParDict;</pre>
}	
numberOfSubdomains N;	
method	metis;

### "processor" directories



- "processorX/constant" folder has the "boundary" file
- Additional boundary patches are found with the type "processor"
- "processor" patch faces abut with neighbor decomposition

### Hands on - Create Decompositons

Create the decomposeParDict in case folder of wedge

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- Set the number of partitions to 2
- Plot the decomposed mesh

### Field Data - Parallel Exchange

- Field variables see the adjacent processor information via coupled boundary condition
- Coupled boundaries naturally allow non-blocking parallelization
- Volume field are the logical candidates for parallel exchange of faces fluxes

Hands on - Simple Parallel Exchange Example

Make rho values in each processor equal to its rank

```
forAll( rho , icell )
  rho[icell] = Pstream::myProcNo();
```

Loop over all boundary patches and get the type and alias of boundary cells attached to boundary face

```
forAll ( mesh.boundaryMesh() , ipatch ) {
  word BCtype = mesh.boundaryMesh().types()[ipatch];
  const UList<label> &bfaceCells =
    mesh.boundaryMesh()[ipatch].faceCells();
```

## Hands on - Simple Parallel Exchange Example

#### Now check if boundary patch type is processor

if( BCtype == "processor" ) {

#### Verify if the non-blocking receive has been made successfully

rho.correctBoundaryConditions();

## Hands on - Simple Parallel Exchange Example

Now get the received field values to variable *exchange* 

```
scalarField exchange =
```

```
rho.boundaryField()[ipatch].
```

```
patchNeighbourField();
```

#### Assign the boundary cell value to the received value

```
forAll( bfaceCells , icell ) {
    rho[ bfaceCells[icell] ] = exchange[icell];
    std::cout << exchange[icell] << "\n";
}</pre>
```

## Output





#### "processor" BC and Halo



Figure: Halo/Ghost nodes in domain decomposition

#### "processor" BC and Halo

- OpenFOAM does not create the extra cell padding (Halo/Ghost)
- Reference to immediate cell quantities to "processor" boundary faces stored
- Quantities/Fields are imported during computation at "processor" boundary

But import can happen only if export is posted ??

## OF "processor" boundary - type and physicalType

```
7
   inlet
       type
                        patch;
       physicalType supersonicInlet;
       nFaces
                        0;
       startFace
                        1889;
   procBoundary0to1
       type
                        processor;
       nFaces
                        24;
       startFace
                        3967;
       myProcNo
                        0;
       neighbProcNo 1;
```

## Non-blocking communication and "runTime" object

```
/// Time step loop
while( runTime.loop() ) {
    ...
    runTime.write();
}
```

- For every iteration of the runTime.loop() non-blocking export/import is initiated
- During application of "processor" BC the export/import is confirmed using blocking call
- This essentially forms the Zero-Halo implementation in OF
- Computation and communication happen simultaneously latency hiding

## The key data-structure and functions

#### Communication - blocking wait on the send/recv call

rho.correctBoundaryConditions();

U.correctBoundaryConditions();

p.correctBoundaryConditions();

#### Access Ghost/Halo data

```
scalarField rhoGhost = rho.boundaryField()[ipatch].
    patchNeighbourField();
vectorField UGhost = U.boundaryField()[ipatch].
    patchNeighbourField();
scalarField pGhost = p.boundaryField()[ipatch].
    patchNeighbourField();
```

## Putting it all together

```
forAll( bfaceCells , iface ) {
label leftCell = bfaceCells[iface];
label rightCell = iface;
vector normal = nf.boundaryField()[ipatch][iface];
scalar face_area =
         mesh.magSf().boundaryField()[ipatch][iface];
// Approximate Riemann solver at interface
 (*fluxSolver) ( &rho[leftCell] , &U[leftCell] ,
  &p[leftCell] , &rhoGhost[rightCell] ,
  &UGhost[rightCell] , &pGhost[rightCell] ,
  &tempRhoRes , &tempURes , &tempPRes , &normal );
// Multiply with face area to get face flux
massResidue[leftCell] += tempRhoRes * face_area;
momResidue[leftCell] += tempURes * face_area;
energyResidue[leftCell] += tempPRes * face_area;
```

